SWE 637 SOFTWARE TESTING ACTIVITIES, WEEK 5

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https://go.gmu.edu/SWE637

Adapted from slides by Jeff Offutt and Bob Kurtz

Consider the intersection() method

```
public static Set intersection (Set s1, Set s2)
/**
 * @param s1, s2 : compute intersection of these two sets
 * @return a (non null) Set equal to the intersection of sets s1 and s2
 * @throws NullPointerException if s1 or s2 is null
 */
```

And the following domain model

Characteristic	b_1	b_2	b_3	b ₄
A: type of s1	Null	Empty set	≥1 element	
B: relation between s1 and s2	s1 = s2 (same set)	$s1 \subset s2$ (s1 is a subset of $s2$)	$s1 \supset s2$ (s2 is a subset of s1)	$s1 \cap s2 = \emptyset$ (disjoint)

- 1. If the **base choice** (BCC) criterion were applied to the two partitions as they are shown, how many test requirements would result? Give a test set.
- 2. If the **pair-wise** (PWC) criterion were applied, how many test requirements would result? Give a test set.
- 3. Is the partitioning for characteristic A *complete* and *disjoint*? Explain why or why not and propose a fix if necessary.
- 4. Is the partitioning for characteristic B *complete* and *disjoint*? Explain why or why not and propose a fix if necessary.

1. If the **base choice** (BCC) criterion were applied to the two partitions as they are shown, how many test requirements would result? Give a test set.

Characteristic	b₁	b_2	b_3	b₄
A: type of s1	Null	Empty set	≥1 element	
B: relation between s1 and s2	s1 = s2 (same set)	$s1 \subset s2$ (s1 is a subset of $s2$)	s1 ⊃ s2 (s2 is a subset of s1)	$s1 \cap s2 = \emptyset$ (disjoint)

2. If the **pair-wise** (PWC) criterion were applied, how many test requirements would result? Give a test set.

Characteristic	b ₁	b_2	b ₃	b ₄
A: type of s1	Null	Empty set	≥1 element	
B: relation between s1 and s2	s1 = s2 (same set)	s1 ⊂ s2 (s1 is a subset of s2)	s1 ⊃ s2 (s2 is a subset of s1)	$s1 \cap s2 = \emptyset$ (disjoint)

3. Is the partitioning for characteristic A *complete* and *disjoint*? Explain why or why not and propose a fix if necessary.

Characteristic	b_1	b_2	b ₃	b ₄
A: type of s1	Null	Empty set	≥1 element	
B: relation between s1 and s2	s1 = s2 (same set)	$s1 \subset s2$ (s1 is a subset of s2)	$s1 \supset s2$ (s2 is a subset of s1)	$s1 \cap s2 = \emptyset$ (disjoint)

4. Is the partitioning for characteristic B *complete* and *disjoint*? Explain why or why not and propose a fix if necessary.

Characteristic	b ₁		b ₃	b ₄
A: type of s1	Null	Empty set	≥1 element	
B: relation between s1 and s2	s1 = s2 (same set)	$s1 \subset s2$ (s1 is a subset of s2)	$s1 \supset s2$ (s2 is a subset of s1)	$s1 \cap s2 = \emptyset$ (disjoint)

Consider constraints between the characteristics. For example, if block Ab₁ is chosen for characteristic A, then what values can be chosen for characteristic B?

- Identify all constraints between characteristics
- Update the domain model if needed so that each block of each characteristic is consistent with at least one block of the other characteristic(s). That is, there should be no cases where choosing a block for characteristic A means that there are no possible blocks to choose for characteristic B.

Consider constraints between the characteristics.

Characteristic	b ₁	b ₂	b ₃	b ₄	$b_{\scriptscriptstyle{5}}$
A: type of s1	Null	Empty set	≥1 element	-:-	
B: relation between s1 and s2	s1 = s2 (same set)	s1 ⊊ s2 (s1 is a proper subset of s2)	s2 ⊊ s1 (s2 is a proper subset of s1)	s1 \cap s2 = \emptyset \wedge s1 $\neq \emptyset \wedge$ s2 $\neq \emptyset$ (disjoint non-empty sets)	$S1 \not\subset S2$

How many **base choice** tests are there now?

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EXAMPLE ANSWERS

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1. If the **base choice** (BCC) criterion were applied to the two partitions as they are shown, how many test requirements would result? Give a test set.

Characteristic	b ₁	b ₂	b_3	b ₄
A: type of s1	Null	Empty set	≥1 element	
B: relation between s1 and s2	s1 = s2 (same set)	$s1 \subset s2$ (s1 is a subset of $s2$)	$s1 \supset s2$ (s2 is a subset of s1)	s1 ∩ s2 = Ø (disjoint)

```
1 for the base test, plus 2 for the other blocks of characteristic A, plus 3 for the other blocks of characteristic B = 6 tests 

Example: (Ab_3,Bb_4), // base choice (Ab_1,Bb_4), (Ab_2,Bb_4), // others from A (Ab_3,Bb_1), (Ab_3,Bb_2), (Ab_3,Bb_3) // others from B
```

2. If the **pair-wise** (PWC) criterion were applied, how many test requirements would result? Give a test set.

Characteristic	b₁	b_2	b_3	b ₄
A: type of s1	Null	Empty set	≥1 element	
B: relation between s1 and s2	s1 = s2 (same set)	$s1 \subset s2$ (s1 is a subset of $s2$)	$s1 \supset s2$ (s2 is a subset of s1)	$s1 \cap s2 = \emptyset$ (disjoint)

Example:
$$(Ab_1,Bb_1)$$
, (Ab_1,Bb_2) , (Ab_1,Bb_3) , (Ab_1,Bb_4) , (Ab_2,Bb_1) , (Ab_2,Bb_2) , (Ab_2,Bb_3) , (Ab_2,Bb_4) , (Ab_3,Bb_1) , (Ab_3,Bb_2) , (Ab_3,Bb_3) , (Ab_3,Bb_4)
Note that since there are only 2 characteristics, pair-wise is the same as all-combinations

3. Is the partitioning for characteristic A *complete* and *disjoint*? Explain why or why not and propose a fix if necessary.

A is complete because there are no other possible values for a set. It is disjoint because no possible value for a set can match two blocks.

Characteristic	b₁	b ₁ b ₂		b ₄
A: type of s1	Null	Empty set	≥1 element	
B: relation between s1 and s2	s1 = s2 (same set)	$s1 \subset s2$ (s1 is a subset of s2)	$s1 \supset s2$ (s2 is a subset of s1)	s1 ∩ s2 = Ø (disjoint)

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4. Is the partitioning for characteristic B *complete* and *disjoint*? Explain why or why not and propose a fix if necessary.



B is not complete because it does not handle the possibility of partially overlapping sets.

B is not disjoint because identical sets are also subsets of each other (Bb1, Bb2, Bb3), and the empty set matches all partitions.

Characteristic	b ₁	b ₂	b ₃	b ₄
A: type of s1	Null Empty set		≥1 element	
B: relation between s1 and s2	s1 = s2 (same set)	$s1 \subset s2$ (s1 is a subset of $s2$)	$s1 \supset s2$ (s2 is a subset of s1)	$s1 \cap s2 = \emptyset$ (disjoint)

Revise the characteristics to eliminate any problems.

Characteristic	b ₁ b ₂		b ₃	b₄
A: type of s1	Null	Empty set	≥1 element	
B: relation between s1 and s2	s1 = s2 (same set)	$s1 \subset s2$ (s1 is a subset of $s2$)	$s1 \supset s2$ (s2 is a subset of s1)	s1 ∩ s2 = Ø (disjoint)

5. Fix the *completeness* problem to allow overlapping sets (add a new block)

Revise the characteristics to eliminate any problems.



Characteristic	b ₁	b ₂	b ₃	b ₄	$b_{\scriptscriptstyle{5}}$
A: type of s1	Null	Empty set	≥1 element		
B: relation between s1 and s2	s1 = s2 (same set)	s1 ⊂ s2 (s1 is a subset of s2)	s2 ⊂ s1 (s2 is a subset of s1)	$s1 \cap s2 = \emptyset$ (disjoint)	 \$1 ≠ \$2 \$1 ≠ \$2 \$1 ↑ \$2 \$2 ≠ ∅ (overlap)

Revise the characteristics to eliminate any problems.



Characteristic	b ₁	b ₂	b ₃	b ₄	$b_{\scriptscriptstyle{5}}$
A: type of s1	Null	Empty set	≥1 element		
B: relation between s1 and s2	s1 = s2 (same set)	s1 ⊊ s2 (s1 is a proper subset of s2)	s2 ⊊ s1 (s2 is a proper subset of s1)	s1 ∩ s2 = Ø (disjoint)	s1 $\not\leftarrow$ s2

Fix the *disjointness* problem caused by equal sets also being subsets/supersets

Revise the characteristics to eliminate any problems.



Characteristic	b ₁	b ₂	b ₃	b ₄	b_{5}
A: type of s1	Null	Empty set	≥1 element	-;-	
B: relation between s1 and s2	s1 = s2 (same set)	s1 ⊊ s2 (s1 is a proper subset of s2)	s2 ⊊ s1 (s2 is a proper subset of s1)	s1 \cap s2 = \emptyset \wedge s1 $\neq \emptyset$ \wedge \circ \circ (disjoint nonempty sets)	$S1 \not\subset S2$ \land $S1 \not\supset S2$ \land $S1 \cap S2$ $\neq \emptyset$ (overlap)

Fix the *disjointness* problem caused by $s1=s2=\emptyset$ matching Bb_1 and Bb_4

Revise the characteristics to eliminate any problems.

Characteristic	b_1	b ₂	b ₃	b ₄	$b_{\scriptscriptstyle{5}}$
A: type of s1	Null	Empty set	≥1 element		
B: relation between s1 and s2	s1 = s2 (same set)	s1 ⊊ s2 (s1 is a proper subset of s2)	s2 ⊊ s1 (s2 is a proper subset of s1)	s1 \cap s2 = \emptyset \wedge s1 $\neq \emptyset$ \wedge \circ \circ \circ (disjoint non-empty sets)	s1 $⊄$ s2 ∧ s1 $⊅$ s2 ∧ s1 $⋂$ s2 ≠ ∅ (overlap)

AB1 → ... none of these choices? Let's fix that.

Characteristic	b ₁	b ₂	b₃	b₄	b ₅	$b_{\scriptscriptstyle 6}$
A: type of s1	Null	Empty set	≥1 element			
B: relation between s1 and s2	s1=null V s2=null (one or more sets are null)	s1 = s2 (same set)	s1 ⊊ s2 (s1 is a proper subset of s2)	s2 ⊊ s1 (s2 is a proper subs et of s1)	$s1 \cap s2$ $= \emptyset$	$S1 \not\subset S2$

 $Ab_1 --> Bb_1$, $Ab_2 --> !Bb_4$, $Ab_2 --> !Bb_6$ $Bb_2 --> !Ab_1$, $Bb_3 --> !Ab_1$, $Bb_4 --> !Ab_1$, $Bb_4 --> !Ab_3$, $Bb_5 --> !Ab_1$, $Bb_6 --> !Ab_1$

How many **base choice** tests are there now?

Characteristic	b ₁	b ₂	b ₃	b₄	b ₅	b ₆
A: type of s1	Null	Empty set	≥1 element			
B: relation between s1 and s2	s1=null V s2=null (one or more sets are null)	s1 = s2 (same set)	s1 ⊊ s2 (s1 is a proper subset of s2)	s2 ⊊ s1 (s2 is a proper subs et of s1)	$s1 \cap s2$ $= \emptyset$	$S1 \nsubseteq S2$

8 – 1 base test plus 2 alternate values for A plus 5 alternate values for B