CS483 Lecture 01

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Course Topics

- Jan 22 Introduction
- Jan 29 Algorithms with numbers
- Feb 05 Divide-n-conquer algorithms
- Feb 12 Graphs
- Feb 19 Paths in graphs
- Feb 26 Greedy algorithms
- Mar 26 Dynamic programming
- Apr 09 Linear programming
- Apr 23 NP-completeness
- See details and updates on the course webpage

Course Info

- course webpage:
 - from the syllabus on http://cs.gmu.edu/
 - <u>http://cs.gmu.edu/~jmlien/teaching/09_spring_cs483/</u>
- Information you will find
 - course syllabus
 - time table
 - problem sets
 - pdf copies of the lectures
 - office hours
 - (mine) monday 6-7pm, (TA) Tue. 4-6pm

Prerequisite

- Data structures and algorithms (CS 310)
- Formal methods and models (CS 330)
- Calculus (MATH 113, 114, 213)
- Discrete math (MATH 125)

Textbook

 Algorithms, by Sanjoy Dasgupta, Christos Papadimitriou, and Umesh Vazirani, McGraw-Hill, 2006

 I also recommend you read the following book: Introduction to Algorithms by T. H. Cormen, C. E. Leiserson, R. L. Rivest, and C. Stein, The McGraw-Hill Companies, 2nd Edition (2001)



ALGORITHMS



Grades

- Quizzes (every week) 30%
- Midterm Exam (March 18) 35%
- Final Exam (May 6) 35%
- Make-up tests will **NOT** be given for missed examinations

Other Important Info

• Email

- make sure your gmu mail is activated
- send only from your gmu account; mails might be filtered if you send from other accounts
- when you send emails, put [483] in your subject header

Discussion Board

- it's a google group, add yourself

OK, lets start

Rabbits

- you are given a newly-born pair of rabbits, one male, one female
- Rabbits are able to mate at the age of one month so that at the end of its second month a female can produce another pair of rabbits
- rabbits never die
- the female always produces one new pair

Rabbits

- How many pairs will there be in one year?
 - End of month I
 - End of month 2
 - End of month 3
 - End of month 4
 - End of month 12



Fibonacci Number

$$fib(n) = \begin{cases} 0 & \text{if } n = 0\\ 1 & \text{if } n = 1\\ fib(n-1) + fib(n-2) & \text{if } n > 1 \end{cases}$$

Question: what is *fib*(200), what about *fib*(20000000000000)?

Our First Algorithm

procedure FIB(n) if n = 0then return (0) if n = 1then return (1) return (FIB(n - 1) + FIB(n - 2))

- Questions we should ask
 - Is the algorithm correct?
 - What is the running time of our algorithm?
 - Can we do better

- Is it correct?
- How fast does it run?
 - we let the run time of fib(n) be T(n)
 - ► T(n)=
 - ► T(200)=
 - assume you have a Intel Pentium 4 CPU (3GHz)
 - It takes

 Can Moose's law, which predicts that CPU get 1.6 times faster each year, solve our problem?

• Can we do better?

- When we design an algorithm, we should ask ourselves
 - Is the algorithm correct?
 - How efficient is the algorithm?
 - Time efficiency
 - Space efficiency
 - Can we do better?
- How do we measure the efficiency?
 - empirical analysis
 - theoretical analysis

Summary

- General ideas of design of algorithms
- Analysis of algorithms: experimental and theoretical
- Asymptotic notations: O (upper bound), (lower bound), (tight bound)

Warning

- Make sure you have the mathematics or CS prerequisites
- You must make arrangements to come to GMU to take the exams on-site
- You need to spend a minimum of 9~12 hours a week outside of class reading the material and doing practice problem sets

Suggestions

- **Don't fall behind** maintain a steady effort
- Take the homework (quizzes, practice problems) seriously - these are the only ways to exercise for the exams
- Make use of office hours we are here to help, but it will be more helpful if you can think about the questions in advance
- **Read the materials before the class** and ask during the class- this prepares you for the quizzes
- Form study groups things become easier if there is joint force

Course Outcome

- An understanding of classical problems in Computer Science
- An understanding of classical algorithm design and analysis strategies
- An ability to analyze the computability of a problem
- Be able to design and analyze new algorithms to solve a computational problem

Practice Problem Set

• Go to course webpage