

Covering Graphs (7.1)

Graphs are the most **commonly** used structure for testing

Graphs can come from many sources

- -Control flow graphs
- -Design structure
- -FSMs and state charts
- -Use cases

Tests usually are intended to "cover" the graph in some way

What is a graph?

A set N of **nodes**, N is not empty

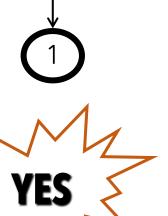
A set N_0 of **initial nodes**, N_0 is not empty

A set N_f of **final nodes**, N_f is not empty

A set *E* of **edges**, each edge from one node to another

 $-(n_i, n_j)$, *i* is **predecessor**, *j* is **successor**

Is this a graph?

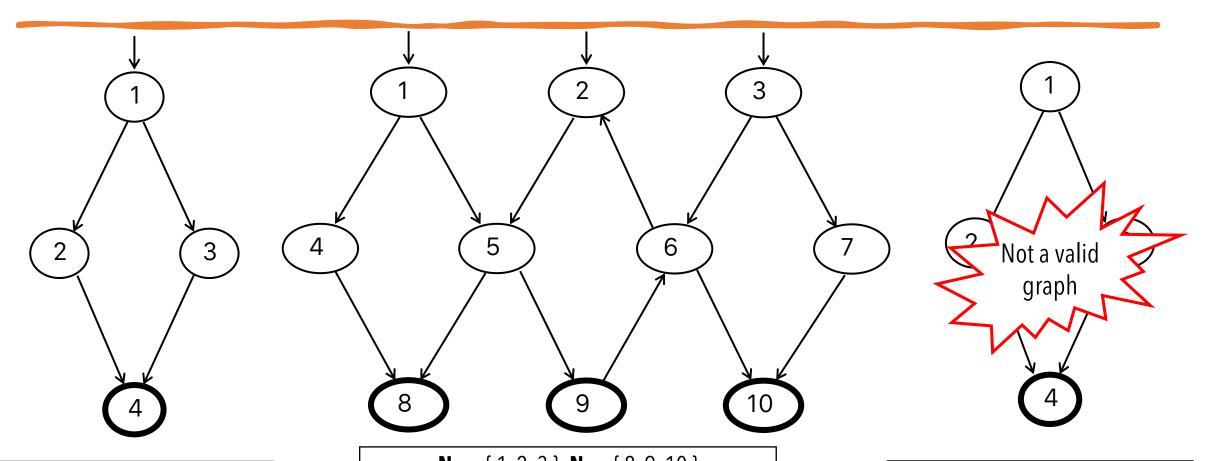


$$N_0 = \{ 1 \}$$

$$N_f = \{ 1 \}$$

$$\mathsf{E} = \{ \}$$

Example graphs



 $\mathbf{N_0} = \{ 1 \}; \ \mathbf{N_f} = \{ 4 \}$ $E = \{ (1,2), (1,3), (2,4), (3,4) \}$

 $\mathbf{N_0} = \{ 1, 2, 3 \}; \mathbf{N_f} = \{ 8, 9, 10 \}$ $E = \{ (1,4), (1,5), (2,5), (3,6), (3,7), (4,8), (5,8), (5,9), (6,2), (6,10), (7,10) (9,6) \}$

 $\mathbf{N_0} = \{ \}; \ \mathbf{N_f} = \{ 4 \}$ $E = \{ (1,2), (1,3), (2,4), (3,4) \}$

Paths in graphs

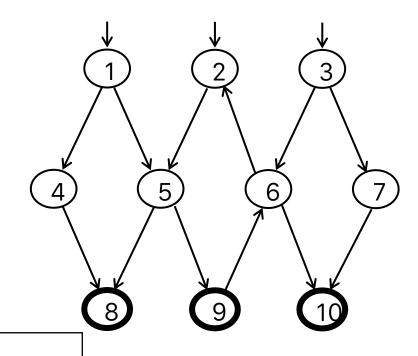
Path: A sequence of nodes $-[n_1, n_2, ..., n_M]$

-Each pair of nodes is an edge

Length: The number of edges

-A single node is a path of length 0

Subpath: A subsequence of nodes in *p* is a subpath of *p*



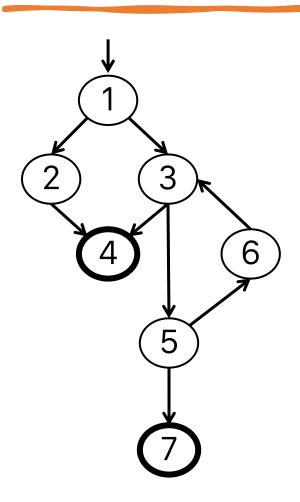
A Few Paths

[1,4,8]

[2, 5, 9, 6, 2]

[3, 7, 10]

In-class Exercise



Graph Definitions

Answer the following questions for the graph on the left

- 1. How many nodes are in the graph?
- 2. How many edges are in the graph?
- 3. What is the set of initial nodes?
- 4. What is the set of final nodes?
- 5. Write two paths in the graph.
- 6. Write a subpath of one of your paths.



Test paths and SESEs

Test path: A path that starts at an initial node and ends at a final node

Test paths represent execution of test cases

- -Some test paths can be executed by many tests
- -Some test paths cannot be executed by any tests

SESE graphs: All test paths start at a single node and end at another node

-single-entry, single-exit

 $-N_0$ and N_f have exactly one node $\xrightarrow{2}$

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<u>Double-diamond graph</u>

Four test paths

[1, 2, 4, 5, 7]

[1, 2, 4, 6, 7]

[1, 3, 4, 5, 7]

[1, 3, 4, 6, 7]

Visiting and touring

Visit: A test path *p* **visits** node *n* if *n* is in *p*

A test path *p* **visits** edge *e* if *e* is in *p*

Tour: A test path *p* **tours** subpath *q* if *q* is a subpath of *p*

(Technically, each edge is also a subpath)

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Test path [ 1, 2, 4, 5, 7 ]

Visits nodes? 1, 2, 4, 5, 7

Visits edges? (1,2), (2,4), (4, 5), (5, 7)

Tours subpaths? [1,2,4], [2,4,5], [4,5,7], [1,2,4,5], [2,4,5,7], [1,2,4,5,7]
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Tests and test paths

path (t): the test path executed by test *t*

path (T): the set of test paths executed by the set of tests T

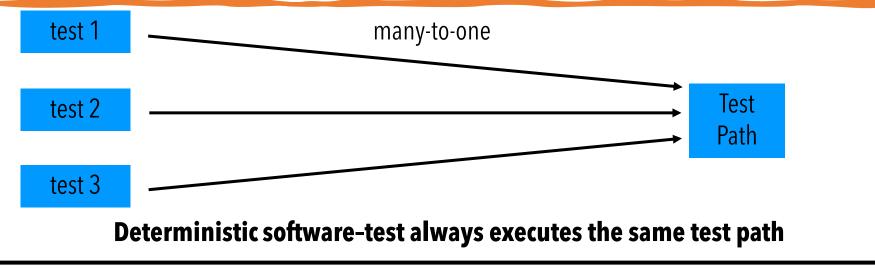
Each test executes one and only one test path

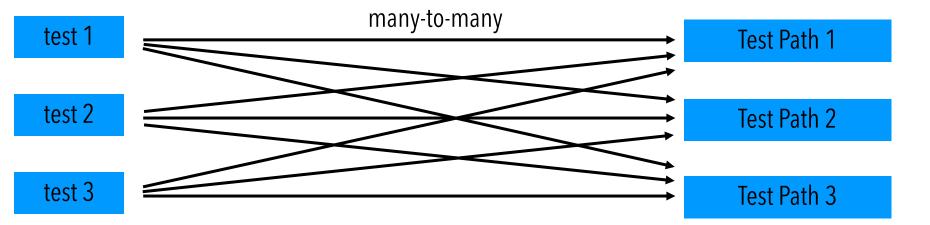
-Complete execution from a start node to a final node

A location in a graph (node or edge) can be **reached** from another location if there is a sequence of edges from the first location to the second

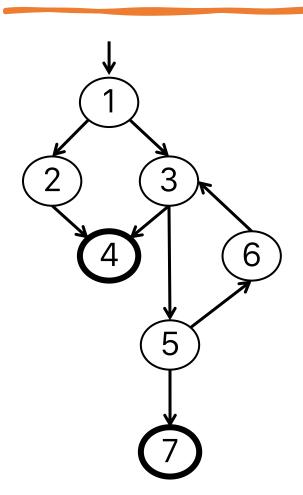
- -Syntactic reach: a subpath exists in the graph
- -Semantic reach: a test exists that can execute that subpath
- -This distinction becomes important in **section 7.3**

Tests and test paths





In-class Exercise



Test paths

Answer the following questions for the graph on the left

- 1. Identify the cycle in the graph.
- 2. Write all test paths that go through the cycle no more than once.
- 3. Write one path in the graph that is not a test path.
- 4. Write one test path in the graph.
- 5. How many test paths are in the graph?

