# Haskell

# Language Features Overview

- functional
  - higher order functions, recursion instead of loops
- declarative feel
  - focus on describing logic of "what", instead of "how" to compute
- non-strict ("lazy")
  - Only computes any sub-expression when absolutely needed
- pure\*
  - No side-effects like re-assignment, printing, etc.
  - \* for all but one tiny corner of the language (the IO monad)
- typing:
  - strongly statically typed
  - type inference with optional ascriptions

### Usage

### Compile

• can compile to a main function

### • Interpret

Can load modules and interpret functions
 ghci YourFile.hs

 REPL ("read-eval-print loop") – you can interactively load modules, add definitions inline, explore computations

### Compilation/Type Checking

- You will fight the type checker at compilation time much more, and then see far fewer runtime exceptions, than you may be used to.
- So use the REPL to explore what changes your code needs next

#### ghc --make -o somename YourFile.hs

# Basic Datatypes

- Some basic types: Int, Float, Double, Bool, Char
- **lists**: [Int] [Double] [a] [a -> b]
  - Comma-separated values in square brackets. [1,2,3]
  - These are singly-linked lists. brackets/commas are just "syntactic sugar" for the underlying representation. You can represent one node with the cons operator (:)
    - headval : tailval (1:[]) (1: (2: (3:[])))
- strings are literally just a list of Char: [Char]
  - Also can use double-quotes as "syntactic sugar" (pretty syntax for usability)
- **tuples** of length 2+:
  - parenthesized comma separated listing. (x,y,z)
- Lambdas(functions):
  - \ x -> expr

# More about Types

### • type variables: any lowercase identifiers where a type is expected

- Example:  $a \rightarrow [a]$ 
  - representing "forall types a, the function from one value of type a to a list of values of type a"
- Example:  $(a \rightarrow b) \rightarrow [a] \rightarrow [b]$ 
  - "forall types a and b, this accepts a function of type a-to-b, and a list of a's, to return a list of b's.

### • Type ascriptions:

- any expression can have a required type ascribed with (::)
- Useful for narrowing down the type for your intent, and get better error messages
- Examples:
  - (5::Int)
  - $(x \rightarrow x+1)::(Int \rightarrow Int)$

# Definitions

- a file can have many top-level definitions.
- Each definition is one or more equations, with a **pattern** on the lefthand side, and an expression on the righthand side.
  - patterns are for matching your data's shape it's not an expression you evaluate! Learning
    where patterns go and where expressions go is an important early step.
- we'll revisit this more all throughout, and learn more of what happens here.

inc x = x+1

```
length [] = 0
length (val:vals) = 1 + (length vals)
```

### Lists

- focus on the fact that they are singly-linked lists
  - We process them one node at a time
  - Pattern matching lets us focus on a list either being empty [] or non-empty (using the cons(:) constructor)

```
isEmpty :: [a] → Bool
isEmpty [] = True
isEmpty (x:xs) = False
```

```
length :: [a] \rightarrow Int
length [] = 0
length (x:xs) = 1 + length (xs)
```

- -- [] means empty list
- -- (x:xs) is a pattern; x is the head value,
- -- xs is the rest of the list

# Expressions

### • Branching

- If-expressions
  - if expr then expr else expr
- Case statements

. . .

 case expr of pattern -> expr pattern -> expr

### Iteration

• Recursion only (no loops!)

### functions

- anonymous: lambdas
  - \x -> expr
- named: let-expressions
  - let f x = expr in expr
- higher-order functions
  - arg. or return type is a function
- partial applications are common
  - Feed some but not all args.

# Abstract Data Types

- Build-your-own datatypes.
- Some basic types are defined this way:
  - data Bool = True | False
  - data Maybe a = Just a | Nothing
  - data Color = Green | Blue | RGB Int Int Int
  - data Either a b = Left a |Right b
- Give a name, perhaps some type variables, and then different constructors that can each take some number of arguments.
- may feel much like our lambda calculus extensions

# General file contents

• At the top, a module statement

module Homework4 where

• Next, maybe some import statements

```
import Data.List
import Prelude hiding (zipWith, any)
```

• The rest of the file is just "top-level definitions".

```
add x y = x+y
```

```
isEmpty [ ] = True
isEmpty (x:xs) = False
```

# Pattern Matching

- We see a focus on the *shape* of our data
  - We know what type we have, but which constructor was used?
  - We need:
    - a constructor, with sub-patterns for each of its arguments.
    - simple variable names work as guaranteed-match patterns
    - concrete values, e.g. [], 5, True, etc. (some are truly just more constructors)
- We define functions as a series of patterns-to-expressions
  - In the order presented, if the pattern matches, simplify to that expression (take that path)
  - Variables and concrete values allowed in patterns
  - Expressions don't occur inside patterns (common beginner's syntactic mistake!)
  - the "don't-care" wildcard underscore \_ is useful.
    - Matches one thing that you won't be using. Example: middle (\_,v,\_) = v

map f [] = [] map f (x:xs) = (f x) : map f xs	
justs :: [Maybe a] justs (Nothing:xs) justs ((Just x) :xs) justs []	= justs xs

# **Top-Level Definitions**

- Functions
  - Can have multiple equation lines, each with a different pattern of arguments
  - A function with no arguments? These variables are like "zero-argument" functions

#### datatype definitions

- data Bool = True | False
- data Color = Green | Gold | RGB Int Int Int
- data Optional a = Present a | Empty
- data MyList a = Cons a (MyList a) | Nil
- Type synonyms
  - Only benefit is ease of use, e.g.:
    - type Name = String
    - type State = [(String,Int)]

# Some corner cases, catalogued

- Patterns (functions or case expressions)
  - non-exhaustive pattern match error:
    - the function was called with data that didn't match any of our provided patterns.
  - overlapping patterns warning:
    - we wrote a pattern that can't ever be used, because an earlier more general pattern wins
- Numbers
  - Type classes and the provided numeric types
    - Many functions are more general than we're expecting, and we'll choose to use type ascriptions to keep life simple
    - converting between number types is weird...
  - Negative numbers, precedence of (-)
    - Partial application makes negative numbers a bit cumbersome. We'll often need to parenthesize them.